

1. Ренуири РС

- ишөөрүмбүлө (ке залуу сг m): P, T
- ишөөрүмбүлө (залуу сг m): U, H, S, E_u, E_p, V
- сүлөжүрүмбүлө: $v = \frac{V}{m}$, $M = \frac{Q}{m} \dots$

$$\dot{m} = \frac{\Delta m}{\Delta t}$$

$$\dot{V} = \omega \cdot A$$

$$v = \frac{\dot{V}}{\dot{m}}$$

* Ишөөрүмбүлө

$$T = t + 273$$

$$\Delta t = \Delta T$$

* Ишөөрүмбүлө

$$P = \frac{F}{A} \rightarrow F = PA$$

$$1. \text{ аш. } \dot{v} \cdot P_6 = 101325 \text{ Pa}$$

$$2. \text{ монон. } \dot{v} \cdot P_m (> P_6) \rightarrow P_m (< P_6)$$

$$3. \text{ аш. } \dot{v} \cdot P_m \rightarrow P = P_6 + P_m$$

$$P = P_6 - P_m$$

$$- \text{ сүлөжүрүмбүлө: } P_{sz} = \rho \cdot g \cdot H$$

$$(\rho_1 \Delta x_{1z} - \rho_2 \Delta x_{2z}) g$$

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2. J-на сүлөжүрүмбүлө

- Угелерин иш: $C_p = \text{const}$; $C_v = \text{const}$. } ТАБЕЛА 3.1.5) СТР. 13

* J-на сүлөжүрүмбүлө:

$$1. pV = m R_g T \quad / : m \rightarrow$$

$$2. p v = R_g T$$

$$3. pV = n M R_g T \Rightarrow pV = n R T$$

$$4. p v = m R_g T / : v \Rightarrow \frac{p}{\rho} = R_g T$$

$$M, R_g, C_p, C_v, K$$

* Ишөөрүмбүлө:

$$1. T = \text{const.} \rightarrow P_1 V_1 = P_2 V_2$$

$$2. P = \text{const.} \rightarrow$$

$$3. V = \text{const.} \rightarrow$$

- За сүлөжүрүмбүлө и сүлөжүрүмбүлө сүлөжүрүмбүлө J-на сүлөжүрүмбүлө

$$\hookrightarrow \text{сүлөжүрүмбүлө: } P_1 V_1 = P_2 V_2 \Rightarrow P_1 (\lambda_0 - x_1) A = P_2 (\lambda_0 - x_2) A$$

$$m = \frac{pV}{R_g T}$$

3. I 3 T A

I сүлөжүрүмбүлө T A C $\rightarrow m = \text{const.}$, $Q_{12}, W_{12} \rightarrow$

$$Q_{12} + W_{12} = U_2 - U_1$$

$$\delta Q + \delta W = dU$$

$$* \Delta U: dU = U_2 - U_1 = m C_v (T_2 - T_1) \quad \text{на иш}$$

* Q_{12} и W_{12} :

$$1. P = \text{const.} \rightarrow Q_{12} = m C_p (T_2 - T_1)$$

$$W_{12} = -P (V_2 - V_1)$$

$$2. V = \text{const.} \rightarrow Q_{12} = m C_v (T_2 - T_1)$$

$$W_{12} = 0$$

$$3. T = \text{const.} \rightarrow Q_{12} = m (S_2 - S_1) T$$

$$W_{12} = \int_1^2 p dV$$

$$4. p v^k = \text{const.} \rightarrow Q_{12} = 0$$

$$P = f(v)$$

II сүлөжүрүмбүлө T A C $\rightarrow m \neq \text{const.}$

$$\dot{m} = \frac{dm}{dt}; \dot{Q} [\frac{J}{s} = W]; \dot{W} [W]$$

$$T 3 T A: \dot{Q}_{12} + \dot{W}_{12} = \dot{H}_2 - \dot{H}_1 + \dot{E}_{k2} - \dot{E}_{k1} + \dot{E}_{p2} - \dot{E}_{p1}$$

$$\dot{H}_2 - \dot{H}_1 = \dot{m} C_p (T_2 - T_1); \dot{E}_{p2} - \dot{E}_{p1} = \dot{m} g (z_2 - z_1)$$

$$\dot{E}_{k2} - \dot{E}_{k1} = \frac{\dot{m}}{2} (w_2^2 - w_1^2)$$

$C_p, C_v, M, R_g \rightarrow 3.1.5$!

$$\text{Мажарла формула: } C_p - C_v = R_g$$

$$V = \frac{d^2 x}{dt^2} \cdot X$$

$$W_{sr} = \frac{\Delta x}{\Delta t}$$

$$1. P = \text{const.}$$

$$\dot{Q}_{12} = \dot{m} C_p (T_2 - T_1)$$

$$\dot{W}_{12} = 0$$

$$2. V = \text{const.}$$

$$\dot{Q}_{12} = \dot{m} C_v (T_2 - T_1)$$

$$\dot{W}_{12} = V (P_2 - P_1)$$

$$3. T = \text{const.}$$

$$\dot{Q}_{12} = \dot{m} T (S_2 - S_1)$$

$$\dot{W}_{12}$$

$$4. p v^k = \text{const.}$$

$$\dot{Q}_{12} = 0$$

$$\dot{W}_{12}$$

4. II 3 T Δ

$\Delta S_{A15} > 0 \rightarrow$ fühlbar
 $\Delta S_{A15} = 0 \rightarrow$ unmerklich

$$\Delta S_{A15} \geq 0 \rightarrow \Delta S_{A15} = \Delta S_{RS} + \Delta S_{Ti} + \Delta S_{TP}$$

$$\Delta S_{Ti} = \frac{Q_{Ti}}{T_i}$$

$$\Delta S_{TP} = \frac{Q_{TP}}{T_{ip}}$$

* Annahmen

1. adiabater Zustandsübergang:

$$\Delta S_{12} = m \left(C_v \ln \frac{T_2}{T_1} + R_g \ln \frac{V_2}{V_1} \right)$$

$$\Delta S_{12} = m \left(C_p \ln \frac{T_2}{T_1} - R_g \ln \frac{P_2}{P_1} \right)$$

$$\Delta S_{12} = m \left(C_p \ln \frac{V_2}{V_1} + C_v \ln \frac{P_2}{P_1} \right)$$

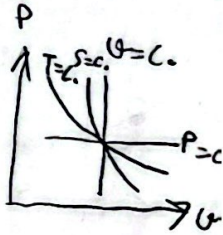
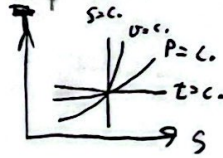
2. $P = \text{const.}$:

$$\Delta S_{12} = m C_p \ln \frac{T_2}{T_1}$$

3. $V = \text{const.}$:

$$\Delta S_{12} = m C_v \ln \frac{T_2}{T_1}$$

* Diagramme



4. $T = \text{const.}$

$$\Delta S_{12} = \frac{Q_{12}}{T}$$

5. $P V^k = \text{const.}$

$$\Delta S_{12} = 0$$

5. Zustandsgleichung

1. adiabater Zust.

$$P V^k = \text{const.}$$

$$k = \frac{C_p}{C_v}$$

$$n = \frac{C_p - C_v}{C_p - C_v}$$

$$Q_{12} = m C_n (T_2 - T_1)$$

$$C_n = C_v \frac{n - k}{n - 1}$$

2. $P = \text{const.}$

$$n = 0$$

$$Q_{12} = m C_p (T_2 - T_1)$$

3. $T = \text{const.}$

$$n = 1$$

$$Q_{12} = m T (S_2 - S_1)$$

5. $V = \text{const.}$

$$n = \infty$$

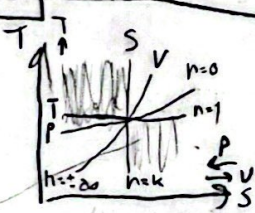
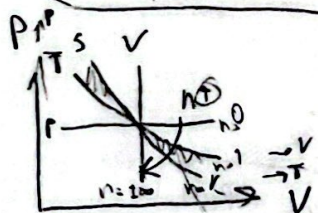
$$Q_{12} = m C_v (T_2 - T_1)$$

4. $S = \text{const.}$

$$n = k$$

$$P V^k = \text{const.}$$

$$Q_{12} = 0$$



6. Mischung

- Mischung bei $n \neq k$ und $n = k$!

* Mischung bei $V = \text{const.}$ (Zustandsgleichung $T \Delta c$)

$$A B \rightarrow A+B$$

* Mischung bei $P = \text{const.}$ (Zustandsgleichung $T \Delta c$)

$$\frac{A}{B} + A+B \quad P_A = P_B = P_{sm}$$

- Gewichtete Mittel:

$$g_i = \frac{m_i}{m_{sm}}$$

$$v_i = \frac{V_i}{V_{sm}}$$

$$j_i = \frac{n_i}{n_{sm}}$$

$$\text{für } n \neq k \Rightarrow v_i \neq j_i$$

$$v_i = g_i \frac{m_{sm}}{m_i} = g_i \frac{R_i}{R_{sm}}$$

- Logarithmierte Formeln:

$$M_{sm} = \frac{1}{\sum_{i=1}^n \frac{g_i}{M_i}}$$

$$R_{sm} = \frac{R}{M_{sm}}$$

$$C_p = \sum_{i=1}^n g_i C_{pi}$$

$$C_v = \sum_{i=1}^n g_i C_{vi}$$

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7. Термодинамический процесс

- идеально упругие шарики в резинке, сила трения на шары



$$Q_{PK} = -W_{PK}$$

$$Q_{dev} = Q_{12} + Q_{23}$$

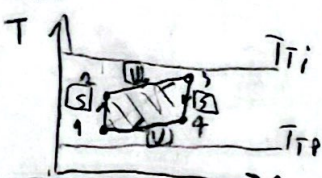
$$Q_{odu} = Q_{34} + Q_{41}$$

$$Q_{kor} = Q_{dev} - |Q_{odu}| = W_{kor}$$

$$\eta = 1 - \frac{|Q_{odu}|}{Q_{dev}}$$

$$\Delta S_{RS} = 0$$

* ЖОТО



$$Q_{dev} = Q_{23} = m C_V \Delta T_{23}$$

$$Q_{odu} = Q_{41} = m C_V \Delta T_{41}$$

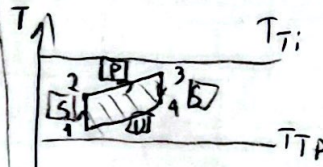
$$\Delta S_{23} = -\Delta S_{41}$$

$$\frac{T_3}{T_2} = \frac{T_4}{T_1}$$

$$\eta = 1 - \frac{|T_1 - T_4|}{T_3 - T_2}$$

$$\epsilon = \frac{U_{max}}{U_{min}} = \frac{V_4 - V_1}{V_3 - V_2} = \frac{V_1}{V_2}$$

* ДИЗЕЛ



$$Q_{dev} = Q_{23} = m C_P \Delta T_{23}$$

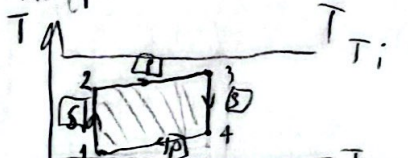
$$Q_{odu} = Q_{41} = m C_V \Delta T_{41}$$

$$\left(\frac{T_3}{T_2}\right)^{\kappa} = \frac{T_4}{T_1}$$

$$\eta = 1 - \frac{|C_V(T_1 - T_4)|}{C_P(T_3 - T_2)}$$

$$\epsilon = \frac{V_4}{V_2}$$

* Цикл



$$Q_{dev} = Q_{23} = m C_P (T_3 - T_2)$$

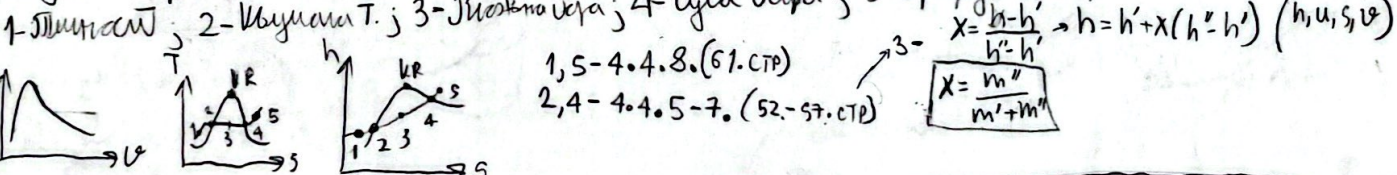
$$Q_{odu} = Q_{41} = m C_P (T_1 - T_4)$$

$$\frac{T_3}{T_2} = \frac{T_4}{T_1}$$

$$\eta = 1 - \frac{|T_1 - T_4|}{T_3 - T_2}$$

Т.А. изотермические: $T_3 = T_{Ti}$; $T_1 = T_{TP}$

8. Прогрессия температуры

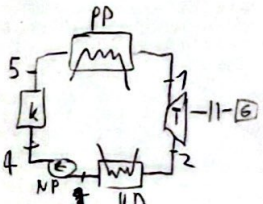


1, 5- 4. 4. 8. (61. СТР)
2, 4- 4. 4. 5- 7. (52- 57. СТР)

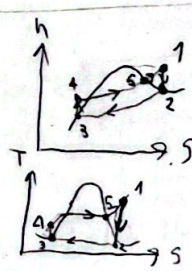
$$X = \frac{h-h'}{h'-h''} \rightarrow h = h' + X(h'-h'') \quad (h, u, s, v)$$

$$X = \frac{m''}{m' + m''}$$

9. Цикл с переменным ф. (Величина изотермического)



1-2- огр. изотермический
2-3- изот. огр. Q
3-4- огр. изотермический
4-5- изот. огр. Q
5-1- изот. огр. Q



$$\eta = 1 - \frac{|h_3 - h_4|}{h_1 - h_4}$$

$$y = y_1 + \frac{y_2 - y_1}{x_2 - x_1} (x - x_1)$$

$$Q_{dev} = Q_{12} + Q_{23} = h_1 - h_4$$

$$Q_{odu} = Q_{43} = h_3 - h_2$$

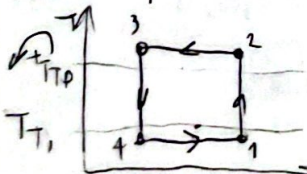
$$W_{12} = h_2 - h_1$$

$$P_{12} = m(h_2 - h_1)$$

$$W_{34} = h_4 - h_3$$

$$P_{34} = m(h_4 - h_3)$$

10. Термодинамический процесс



$$Q_{dev} = Q_{23} \rightarrow Q_{TP} = -Q_{23}$$

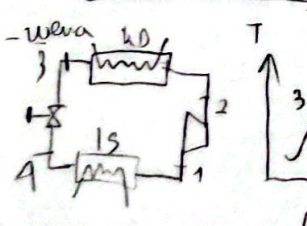
$$Q_{dev} = Q_{41} \rightarrow Q_{TI} = -Q_{41}$$

$$\epsilon_h = \frac{Q_h}{P_h} \rightarrow Q_h = Q_{dev} = m(h_1 - h_4)$$

$$P_h = m W_{12} = m(h_2 - h_1)$$

$$\epsilon_h = \frac{h_2 - h_4}{h_1 - h_3}$$

4- выбрана температура



1-2- огр. изотермический
2-3- изот. огр. Q
3-4- огр. изотермический (h3=h4)
4-1- изот. огр. Q

11., 12. Τηλεμετρική μετρήσεις

$$\dot{Q} = \frac{Q}{\tau} [W]; \dot{q} = \frac{\dot{Q}}{A} \left[\frac{W}{m^2} \right]; q_L = \frac{Q}{L} \left[\frac{W}{m} \right]$$

* Κονduκτική (Übersetzung)

- Φυσιολογική συνθήκη: $\dot{q} = -\lambda \text{grad } T$

1. Πολύτιμη: T_{z1}, T_{z2}

$$\dot{q} = \frac{T_{z1} - T_{z2}}{d/\lambda} = \frac{T_{z1} - T_{z2}}{R_{\lambda, A}}$$

Λειτουργία

$$\dot{q} = \frac{T_{z1} - T_{z2}}{\sum R_{\lambda, A}} = \frac{T_{z1} - T_{z2}}{\sum \frac{d_i}{\lambda_i}}$$

2. Υπολογισμός: T_{z1}, T_{z2}

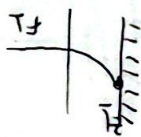
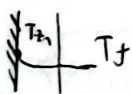
$$\dot{q}_L = \frac{Q}{L}$$

$$\dot{q}_L = \frac{T_{z1} - T_{z2}}{2 \frac{1}{\pi \lambda} \ln \frac{d_2}{d_1}}$$

$$\dot{q}_L = \frac{T_{z1} - T_{z2}}{\sum \frac{1}{\pi \lambda_i} \ln \frac{d_{2,i}}{d_{1,i}}}$$

* Κατακτική (Übersetzung)

σε ροή με φύση ~ σε φύση με ροή



- Κοэффициент теплоотдачи

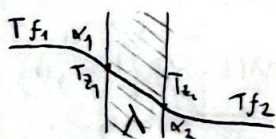
$$\dot{q} = \alpha (T_z - T_f) \quad \alpha = \left[\frac{W}{m^2 K} \right]$$

1. Πολύτιμη: $\dot{q} = \frac{T_z - T_f}{\left(\frac{1}{\alpha} \right)} \rightarrow R_\alpha$

2. Υπολογισμός: $\dot{q} = \frac{T_z - T_f}{\left(\frac{1}{\alpha} \right)} \rightarrow R_\alpha$

* Τηλεμετρική (Kondumierung 1. u. 2.)

1. Πολύτιμη



$$\dot{q} = \frac{T_{f1} - T_{f2}}{R_{\alpha 1} + R_{\lambda, A} + R_{\alpha 2}}$$

$$R_{\alpha 1} = \frac{1}{\alpha_1}; R_{\alpha 2} = \frac{1}{\alpha_2}; R_{\lambda, A} = \frac{d}{\lambda}$$

$\frac{1}{k}$ - coeff. Übersetzung

2. Υπολογισμός



$$\dot{q}_L = \frac{T_{f1} - T_{f2}}{R_{\alpha 1} + R_{\lambda, L} + R_{\alpha 2}}$$

$$R_{\alpha 1} = \frac{1}{d_1 \pi \alpha_1}; R_{\alpha 2} = \frac{1}{d_2 \pi \alpha_2}; R_{\lambda, L} = \frac{1}{2 \pi \lambda} \ln \frac{d_2}{d_1}$$

* Ραγιστική

$$\dot{Q} = C_{12} H_{12} \left(\left(\frac{T_1}{100} \right)^4 - \left(\frac{T_2}{100} \right)^4 \right) [W] \quad [T_1, T_2] K$$

$$C_{12} = C_0 \cdot \epsilon_{red} \left[\frac{W}{m^2 K^4} \right]$$

$$C_0 = 5,67$$

$$\epsilon_{red} = \epsilon_1 \epsilon_2$$

$$H_{12} = \frac{1}{\pi} A_1 A_2 = A_1$$

Übersetzung

$$R_{\alpha} \text{ coeff. } \left[\frac{m^2 K}{W} \right]$$

$$\alpha \text{ - coeff. Übersetzung } Q \left[\frac{W}{m^2 K} \right]$$

$$\lambda \text{ - coeff. Übersetzung } Q \left[\frac{W}{m K} \right]$$

d - gedämmung